

# Physics First Marking Period Review Sheet

Fall, Mr. Wicks

## Chapter 1: The Science of Physics

- I can explain how the subject of physics fits into science and into everyday life.
- I can explain the scientific method to someone not enrolled in Physics.
- I can understand the language used in the scientific method and I can distinguish between a hypothesis, an experiment, data, an independent variable, a dependent variable, a law, and a theory.
- I know the three types of zeros and I can count the number of significant digits in any given number.
- I can apply the rules for using significant figures in calculations. I remember that the rules for addition and subtraction are different from those for multiplication and division.
- I can use metric-metric and English-metric conversion factors to solve problems.

Tera-	T	trillion	$10^{12} = 1,000,000,000,000$	1 inch (in.) = 2.54 cm
Giga-	G	billion	$10^9 = 1,000,000,000$	1 pound (lb.) = 454 g
Mega-	M	million	$10^6 = 1,000,000$	1 quart (qt.) = 0.946 L
Kilo-	k	thousand	$10^3 = 1,000$	
		one	$10^0 = 1$	1 mL = 1 cm <sup>3</sup>
Deci-	d	tenth	$10^{-1} = 0.1$	
Centi-	c	hundredth	$10^{-2} = 0.01$	
Milli-	m	thousandth	$10^{-3} = 0.001$	
Micro-	μ	millionth	$10^{-6} = 0.000001$	
Nano-	n	billionth	$10^{-9} = 0.000000001$	
Pico-	p	trillionth	$10^{-12} = 0.000000000001$	

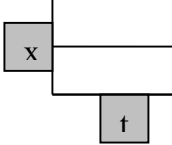
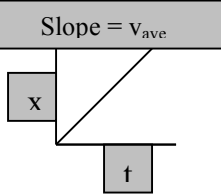
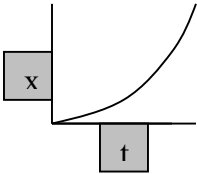
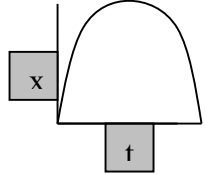
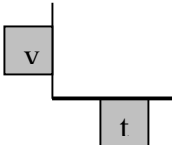
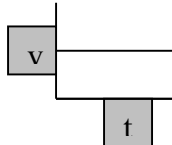
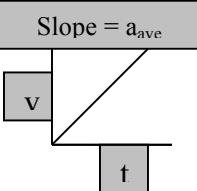
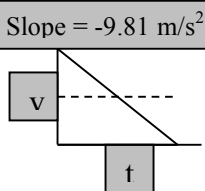
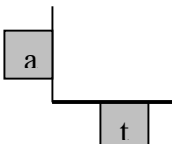
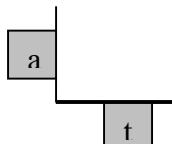
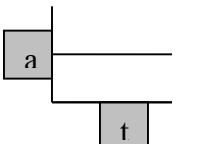
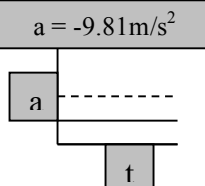
- I can demonstrate how dimensional analysis is used for problem solving.
- I can compare and contrast mass with weight and explain why scientists prefer to use mass instead of weight.
- I can explain the difference between precision and accuracy.
- I can construct both hand-drawn and computer-generated graphs, which include a title, properly labeled axes, a smooth line drawn through the points, and a slope and y-intercept for linear relationships.

## Chapter 2: Motion in One Dimension

- I can calculate average velocity using both  $v_{ave} = \frac{\Delta x}{\Delta t} = \frac{x_f - x_i}{t_f - t_i}$  and  $v_{ave} = \frac{1}{2}(v_f + v_i)$
- I can determine average velocity graphically. In a position-versus-time graph for constant velocity, the slope of the line gives the average velocity. See Table 1.
- I can determine instantaneous velocity from the slope of a line tangent to the curve at a particular point on a position-versus-time graph.
- I can use  $v_{ave} = \frac{\Delta x_{Total}}{\Delta t_{Total}}$  to calculate the average velocity for an entire journey if given information about the various legs of the journey.
- I can calculate average acceleration using  $a_{ave} = \frac{\Delta v}{\Delta t} = \frac{v_f - v_i}{t_f - t_i}$
- I can determine average acceleration and displacement graphically. In a velocity-versus-time graph for constant acceleration, the slope of the line gives acceleration and the area under the line gives displacement. See Table 1.

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- I can use the acceleration due to gravity =  $g = 9.81 \text{ m/s}^2$  to solve problems (Recall  $a = -g = -9.81 \text{ m/s}^2$ )

<b>Table 1: Graphing Changes in Position, Velocity, and Acceleration</b>				
	<i>Constant Position</i>	<i>Constant Velocity</i>	<i>Constant Acceleration</i>	<i>Ball Thrown Upward</i>
<b>Position Versus Time:</b>				
<b>Velocity Versus Time:</b>				
<b>Acceleration Versus Time:</b>				

- Given three of the following variables—displacement, velocity, acceleration, and time, I can determine the fourth variable from concepts and equations discussed so far.
- Given only two of the following variables—displacement, velocity, acceleration, and time, I can determine both of the unknown variables using the kinematic equations in the left column of Table 2.

<b>Table 2: Relationship Between the Kinematic Equations and Projectile Motion Equations</b>		
<i>Kinematic Equations</i>	<i>Missing Variable</i>	<i>Projectile Motion, Zero Launch Angle</i> <i>Assumptions made:</i> $a = -g$ and $v_{y,i} = 0$
$\Delta x = v_{ave} \Delta t$	$a$	$\Delta x = v_x \Delta t$ where $v_x = a \text{ constant}$
$v_f = v_i + a \Delta t$	$\Delta x$	$v_{y,f} = -g \Delta t$
$\Delta x = v_i \Delta t + \frac{1}{2} a (\Delta t)^2$	$v_{final}$	$\Delta y = -\frac{1}{2} g (\Delta t)^2$
$v_f^2 = v_i^2 + 2a \Delta x$	$\Delta t$	$v_{y,f}^2 = -2g \Delta y$

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### Chapter 3: Two Dimensional Motion and Vectors

- I know that a projectile is any object that is thrown or launched.
- I understand that projectiles follow a *parabolic pathway*.
- I can use Table 2 to better understand how the zero launch angle projectile motion equations can be derived from the kinematic equations.
- I understand that the kinematic equations involve *one-dimensional motion* whereas the projectile motion equations involve *two-dimensional motion*. Two-dimensional motion means there is motion in both the horizontal and vertical directions.

- I recall that the equation for horizontal motion ( $\Delta x = v_x \Delta t$ ) and the equations for vertical motion

$$(v_{y,f} = -g\Delta t, \Delta y = -\frac{1}{2}g(\Delta t)^2, v_{y,f}^2 = -2g\Delta y)$$

are independent from each other, and I can use them to calculate information about objects that are thrown or launched.

- I recall that velocity is constant and acceleration is zero in the horizontal direction.
- I recall that acceleration is  $g = 9.81 \text{ m/s}^2$  in the vertical direction.
- For projectiles launched at an angle, I can determine the *range* of the projectile from

$$\Delta x = (v_i \cos \theta) \Delta t \text{ and its } \textit{time of flight} \text{ from } \Delta y = (v_i \sin \theta) \Delta t - \frac{1}{2}g(\Delta t)^2.$$

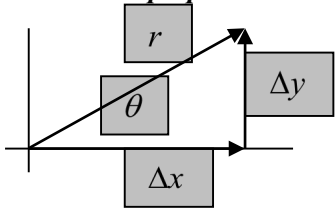
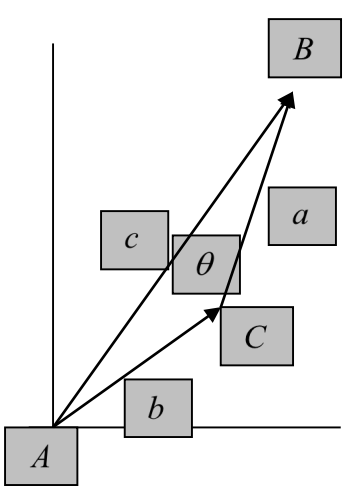
- For an object in free fall, I know that the object stops accelerating when the force of air resistance,  $\vec{F}_{Air}$ , equals the weight,  $\vec{W}$ . The object has reached its maximum velocity, the *terminal velocity*.
- When a quarterback throws a football, I know that the angle for a high, lob pass is related to the angle for a low, bullet pass. When both footballs are caught by a receiver standing in the same place, the sum of the launch angles is  $90^\circ$ .
- In distance contests for projectiles launched by cannons, catapults, trebuchets, and similar devices, projectiles achieve the farthest distance when launched at a  $45^\circ$  angle.
- I know that *vectors* have both magnitude and direction whereas *scalars* have magnitude but no direction. Examples of vectors are displacement, velocity, acceleration, and force.
- I can move vectors parallel to their original position in a diagram.
- I can add vectors in any order. See Table 3 for more information about vector addition.

- For vector  $r$  at angle  $\theta$  to the x-axis, I can calculate the x- and y-components for  $r$  from  $\Delta x = r \cos \theta$  and  $\Delta y = r \sin \theta$ .

- I can calculate the magnitude of vector  $r$  from  $r = \sqrt{\Delta x^2 + \Delta y^2}$  and the direction angle for  $r$  relative to the nearest x-axis from  $\theta = \tan^{-1}\left(\frac{\Delta y}{\Delta x}\right)$ .

- I can subtract a vector by adding its opposite.
- I understand that multiplying or dividing vectors by scalars results in vectors.
- In addition to adding vectors mathematically as shown in the last table, I can add vectors graphically. Vectors can be drawn to scale and moved parallel to their original positions in a diagram so that they are all positioned head-to-tail. The length and direction angle for the resultant can be measured with a ruler and protractor, respectively.
- I can solve relative motion problems by using a special type of vector addition. For example, the velocity of object 1 relative to object 3 is given by  $\vec{v}_{13} = \vec{v}_{12} + \vec{v}_{23}$  where object 2 can be anything.
- I know that subscripts on a velocity can be reversed by changing the vector's direction:  $\vec{v}_{12} = -\vec{v}_{21}$

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<b>Table 3: Vector Addition</b>		
<i>Vector Orientation</i>	<i>Calculational Strategy Used</i>	
<p><b>Vectors are parallel:</b></p>	<p>Add or subtract the magnitudes (values) to get the resultant. Determine the direction by inspection.</p>	
<p><b>Vectors are perpendicular:</b></p> 	<p>Use the Pythagorean Theorem, <math>\Delta x^2 + \Delta y^2 = r^2</math>, to get the resultant, <math>r</math>, where <math>\Delta x</math> is parallel to the x-axis and <math>\Delta y</math> is parallel to the y-axis.</p> <p>Use <math>\theta = \tan^{-1}\left(\frac{\Delta y}{\Delta x}\right)</math> to get the angle, <math>\theta</math>, made with the x-axis.</p>	
<p><b>Vectors are neither parallel nor perpendicular:</b></p>	<p><b>Adding 2 Vectors</b></p>	<p><b>Adding 2 or More Vectors (Vector Resolution Method)</b></p>
	<p><b>Limited usefulness</b></p>	<p><b>Used by most physicists</b></p>
	<p>(1) Use the law of cosines to determine the resultant: <math>c^2 = a^2 + b^2 - 2ab \cos \theta</math></p> <p>(2) Use the law of sines to <b>help</b> determine direction: <math>\frac{a}{\sin A} = \frac{b}{\sin B} = \frac{c}{\sin C}</math></p>	<p>(1) Make a diagram.</p> <p>(2) Construct a vector table. (Use <b>vector</b>, <b>x-direction</b>, and <b>y-direction</b> for the column headings.)</p> <p>(3) Resolve vectors using <math>\Delta x = r \cos \theta</math> and <math>\Delta y = r \sin \theta</math> when needed.</p> <p>(4) Determine the signs.</p> <p>(5) Determine the sum of the vectors for each direction, <math>\Delta x_{total}</math> and <math>\Delta y_{total}</math>.</p> <p>(6) Use the Pythagorean Thm to get the resultant, <math>r</math>: <math>\Delta x_{total}^2 + \Delta y_{total}^2 = r^2</math></p> <p>(7) Use <math>\theta = \tan^{-1}\left(\frac{\Delta y_{total}}{\Delta x_{total}}\right)</math> to get the angle, <math>\theta</math>.</p>

## Equations Available on Physics First Marking Period Test

$$\Delta x = v_{ave} \Delta t$$

$$v_f = v_i + a \Delta t$$

$$\Delta x = v_i \Delta t + \frac{1}{2} a (\Delta t)^2$$

$$v_f^2 = v_i^2 + 2a \Delta x$$

$$\Delta x = v_x \Delta t$$

$$\Delta y = -\frac{1}{2} g (\Delta t)^2$$

$$\theta = \tan^{-1} \left( \frac{\Delta y}{\Delta x} \right)$$

$$\Delta y = r \sin \theta$$

$$\frac{a}{\sin A} = \frac{b}{\sin B} = \frac{c}{\sin C}$$

$$\Delta x = (v_i \cos \theta) \Delta t$$

$$\Delta y = (v_i \sin \theta) \Delta t - \frac{1}{2} g (\Delta t)^2$$

$$R = \left( \frac{v_i^2}{g} \right) \sin 2\theta$$

$$\Delta x = r \cos \theta$$

$$c^2 = a^2 + b^2 - 2ab \cos \theta$$

- This list of equations will be provided on the test.
- You are not allowed to use note cards, review sheets, textbooks, or any other aids during the test.
- You may use a calculator. However, you are not allowed to use any other electronic devices (*i*-Pods, *i*-Phones, smart phones, netbooks, laptop computers etc.) until the last person is finished with the test.
- Calculator sharing is not allowed.
- It is to your advantage to check your work.
- All test materials including scratch paper must be returned at the end of the test.